

# Exercise 16.1

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Find the values of the letters in each of the following and give reasons for the steps involved.

1.

### Solution:

Say, A = 7 and we get,

$$7 + 5 = 12$$

In which one's place is 2.

Therefore, A = 7

And putting 2 and carry over 1, we get

$$B = 6$$

Hence 
$$A = 7$$
 and  $B = 6$ 

2.

#### Solution:

If A = 5 and we get,



8 + 5 = 13 in which ones place is 3.

Therefore, A = 5 and carry over 1 then

B = 4 and C = 1

Hence, A = 5, B = 4 and C = 1

3.



#### Solution:

On putting A = 1, 2, 3, 4, 5, 6, 7 and so on and we get,

 $A \times A = 6 \times 6 = 36$  in which ones place is 6.

Therefore, A = 6

4.

## Solution:

Here, we observe that B = 5 so that 7 + 5 = 12

Putting 2 at ones place and carry over 1 and A = 2, we get

$$2 + 3 + 1 = 6$$



Hence A = 2 and B = 5

5.



## Solution:

Here on putting B = 0, we get  $0 \times 3 = 0$ .

And A = 5, then  $5 \times 3 = 15$ 

A = 5 and C = 1

Hence A = 5, B = 0 and C = 1

6.

## Solution:

On putting B = 0, we get  $0 \times 5 = 0$  and A = 5, then  $5 \times 5 = 25$ 

$$A = 5, C = 2$$

Hence A = 5, B = 0 and C = 2

7.





## Solution:

Here product of B and 6 must be same as ones place digit as B.

$$6 \times 1 = 6, 6 \times 2 = 12, 6 \times 3 = 18, 6 \times 4 = 24$$

On putting B = 4, we get the ones digit 4 and remaining two B's value should be 44.

Therefore, for  $6 \times 7 = 42 + 2 = 44$ 

Hence A = 7 and B = 4

8.

#### Solution:

On putting B = 9, we get 9 + 1 = 10

Putting 0 at ones place and carry over 1, we get for A = 7

$$7 + 1 + 1 = 9$$

Hence, A = 7 and B = 9

9.



## Solution:

On putting B = 7, we get 7 + 1 = 8

Now A = 4, then 4 + 7 = 11

Putting 1 at tens place and carry over 1, we get

$$2 + 4 + 1 = 7$$

Hence, A = 4 and B = 7

10.

#### Solution:

Putting A = 8 and B = 1, we get

$$8 + 1 = 9$$

Now, again we add 2 + 8 = 10

Tens place digit is '0' and carry over 1. Now 1 + 6 + 1 = 8 = A

Hence A = 8 and B = 1



# Exercise 16.2

1. If 21y5 is a multiple of 9, where y is a digit, what is the value of y?

#### Solution:

Suppose 21y5 is a multiple of 9.

Therefore according to the divisibility rule of 9, the sum of all the digits should be a multiple of 9.

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That is, 
$$2 + 1 + y + 5 = 8 + y$$

Therefore, 8 + y is a factor of 9.

This is possible when 8 + y is any one of these numbers 0, 9, 18, 27, and so on

However, since y is a single digit number, this sum can be 9 only.

Therefore, the value of y should be 1 only i.e. 8 + y = 8 + 1 = 9.

2. If 31z5 is a multiple of 9, where z is a digit, what is the value of z? You will find that there are two answers for the last problem. Why is this so?

#### Solution:



Since, 31z5 is a multiple of 9.

Therefore according to the divisibility rule of 9, the sum of all the digits should be a multiple of 9.

$$3 + 1 + z + 5 = 9 + z$$

Therefore, 9 + z is a multiple of 9

This is only possible when 9 + z is any one of these numbers: 0, 9, 18, 27, and so on.

This implies, 9 + 0 = 9 and 9 + 9 = 18

Hence 0 and 9 are two possible answers.

3. If 24x is a multiple of 3, where x is a digit, what is the value of x? (Since 24x is a multiple of 3, its sum of digits 6 + x is a multiple of 3; so 6 + x is one of these numbers: 0, 3, 6, 9, 12, 15, 18, ... . But since x is a digit, it can only be that 6 + x = 6 or 9 or 12 or 15. Therefore, x = 0 or 3 or 6 or 9. Thus, x can have any of four different values.)

Solution: Let's say, 24x is a multiple of 3.

Then, according to the divisibility rule of 3, the sum of all the digits should be a multiple of 3.

$$2 + 4 + x = 6 + x$$

So, 6 + x is a multiple of 3, and 6 + x is one of these numbers: 0, 3, 6, 9, 12, 15, 18 and so on.

Since, x is a digit, the value of x will be either 0 or 3 or 6 or 9, and the sum of the digits can be 6 or 9 or 12 or 15 respectively.

Thus, x can have any of the four different values: 0 or 3 or 6 or 9.

4. If 31z5 is a multiple of 3, where z is a digit, what might be the values of z?

**Solution:** Since 31z5 is a multiple of 3.



Therefore according to the divisibility rule of 3, the sum of all the digits should be a multiple of 3.

That is, 
$$3 + 1 + z + 5 = 9 + z$$

Therefore, 9 + z is a multiple of 3.

This is possible when the value of 9 + z is any of the values: 0, 3, 6, 9, 12, 15, and so on.

At 
$$z = 0$$
,  $9 + z = 9 + 0 = 9$ 

At 
$$z = 3$$
,  $9 + z = 9 + 3 = 12$ 

At 
$$z = 6$$
,  $9 + z = 9 + 6 = 15$ 

At 
$$z = 9$$
,  $9 + z = 9 + 9 = 18$ 

The value of 9 + z can be 9 or 12 or 15 or 18.

Hence 0, 3, 6 or 9 are four possible answers for z.